Hybrid model for the  $K^-p \rightarrow K \equiv$  reactions

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In collaboration with J.K.Ahn (Korea Univ.), Sh.H.Kim (JAEA), S.i.Nam (PKNU), M.K.Cheoun (Soongsil Univ.)

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$\Xi(1530)$	3/2 +	****
$\Xi(1620)$		*
$\Xi(1690)$		***
$\Xi(1820)$	3/2 -	***
$\Xi(1950)$		***
$\Xi(2030)$		***
$\Xi(2120)$		*
$\Xi(2250)$		**
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- □ This is mainly because multistrangeness hadron production have small cross section rates relatively.
- □ Recently, the situation becomes better since more precise and abundant data are expected to be produced in the future experiments via various beams:
  - **a**. photoproduction ( $\gamma p \rightarrow K K \Xi, K K K \Omega$ ) at JLab **b**. pp interaction ( $p \overline{p} \rightarrow \Xi \overline{\Xi}, \Omega \overline{\Omega}$ ) at GSI-FAIR **c**. K induced reaction ( $K^- p \rightarrow K \Xi$ ) at J-PARC



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□ Multistrangeness production in hadron physics a. photoproduction ( $\gamma p \rightarrow K K \Xi$ )

- > CLAS & GlueX Collaborations at JLab is producing the data.
- > The production mechanism is a two-step process.
- > The hadron coupling constants are not well known.

> Theoretical analyses  $\gamma p \rightarrow K K \Xi(1318)$ Nakayama et al. PRC.74.035205 (2006)  $\gamma p \rightarrow K^+ K^+ \Xi^{*-}(1530)$ No analyses yet







Goetz (CLAS) PRC.98.062201(R) (2018)

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Ernst (GlueX) AIP.CP.2249.030041 (2020) 03

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$$\Xi^0$$
  $I(J^P) = 1/2(1/2^+)$  PDG 2022

The parity has not actually been measured, but  $^+$  is of course expected.

#### Goetz (CLAS) PRC.98.062201(R) (2018)



FIG. 2. Missing mass off of  $(K^+K^+)$  showing the  $\Xi$  spectrum above a smooth background, summed over all angles and all  $E_{\gamma}$ .

In the missing mass off of  $K^+K^+$  (Fig. 2), the strong peak at 1.32 GeV corresponds to the  $\Xi$  ground state  $(J^P = \frac{1}{2})$ , and the smaller peak at 1.53 GeV is the  $\Xi^*$  first excited state  $(J^P = \frac{3}{2})$ . No other statistically significant structures are seen in this mass spectrum.

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- □ Multistrangeness production in hadron physics b. pp interaction (p  $\overline{p} \rightarrow \Xi \overline{\Xi}$ )
- > FANDA Collaboration at GSI-FAIR will produce the data. Lutz et al. 0903.3905 [hep-ex] Physics Performance Report
- > The production mechanism is a two-step process.
- > The amplitudes are described by the loop diagrams within a modified Regge type model. Titov et al. 1105.3847 [hep-ph]
- > More rigorous analyses are called for.



## $\Box \mathrel{\hbox{\rm K}}{\-} p \to K \; \Xi$

> Only ( $\Lambda^{(*)}$  &  $\Sigma^{(*)}$ ) hyperons mediate in the Born diagrams.

> *t*-channel meson exchanges are not possible because no meson of strangeness two exists.

(A)  $K^{-} p \rightarrow K^{+} \Xi^{-}$ 





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meson

□ tetraquark in **charm sector** [LHCb, Nature Physics 18, 751 (2022)]

- > First observation with [ccud] content, Tcc(3875, 1<sup>+</sup>), width  $\Gamma \sim 410$  keV in the mass spectrum of "D<sup>0</sup> D<sup>0</sup>  $\pi^+$ "
- □ tetraquark in **strange sector** 
  - > No meson of strangeness two is known to exist.
- □ The evidence of the pentaquark in **charm sector**,  $P_c^+[uudc\bar{c}]$ , is clearer than that in **strange sector**,  $P_s^+[uuds\bar{s}] \& \theta^+[uudd\bar{s}]$ .



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## Rescattering digram



$$g_{K^*K\rho} = g_{K^*K\omega} = \frac{1}{\sqrt{2}} g_{K^*K\phi} = \frac{1}{2} g_{\omega\rho\pi}$$
$$g_{KK\rho} = g_{KK\omega} = \frac{1}{2} g_{\pi\pi\rho}$$

• Use the dominant decay process:  $\phi \to K^+K^-$ ,  $K^* \to K\pi$ , etc

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(A)  $K^{-} p \rightarrow K^{+} \Xi^{-}$ 



(B)  $K^- p \rightarrow K^0 \Xi^0$ 



### Rescattering digram



 $\Box$  (Fig. b) We employ a hybridized Regge model to describe the backward angles in the *u* channel.

 $\Box$  (Fig. a) Additionally, in the *s* channel, we include ( $\Lambda^* \& \Sigma^*$ ) resonances which couple strongly to  $\overline{K}N \& K\Xi$  channels.

Rescattering diagram is calculated from the 3-dimensional reduction of the Bethe-Salpeter equation.

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 $(A) \mathrel{K^{\scriptscriptstyle -}} p \to K^{\scriptscriptstyle +} \Xi^{\scriptscriptstyle -}$ 



(B)  $\mathbf{K}^{-} \mathbf{p} \rightarrow \mathbf{K}^{0} \Xi^{0}$ 

p



## □ Effective Lagrangians

$$\begin{split} \mathcal{L}_{\Lambda NK}^{1/2(\pm)} &\equiv g_{\Lambda NK} \,\bar{\Lambda} \big( D_{\Lambda NK}^{1/2(\pm)} \bar{K} \big) N + \text{H.c.} \\ \mathcal{L}_{\Lambda NK}^{3/2(\pm)} &= \frac{g_{\Lambda NK}}{m_K} \,\bar{\Lambda}^{\nu} \big( D_{\nu}^{3/2(\pm)} \bar{K} \big) N + \text{H.c.} \\ \mathcal{L}_{\Lambda NK}^{5/2(\pm)} &= \frac{g_{\Lambda NK}}{m_K^2} \,\bar{\Lambda}^{\mu\nu} \big( D_{\mu\nu}^{5/2(\pm)} \bar{K} \big) N + \text{H.c.} \\ \mathcal{L}_{\Lambda NK}^{7/2(\pm)} &= \frac{g_{\Lambda NK}}{m_K^3} \,\bar{\Lambda}^{\mu\nu\rho} \big( D_{\mu\nu\rho}^{7/2(\pm)} \bar{K} \big) N + \text{H.c.} \end{split}$$

$$\begin{split} D_{B'BM}^{1/2(\pm)} &\equiv -\Gamma^{(\pm)} \bigg( \pm i\lambda + \frac{1-\lambda}{m_{B'} \pm m_B} \,\mathscr{J} \bigg), \\ D_{\nu}^{3/2(\pm)} &\equiv \Gamma^{(\mp)} \partial_{\nu} \,, \\ D_{\mu\nu}^{5/2(\pm)} &\equiv -i \, \Gamma^{(\pm)} \partial_{\mu} \partial_{\nu} \,, \\ D_{\mu\nu\rho}^{7/2(\pm)} &\equiv -\Gamma^{(\mp)} \partial_{\mu} \partial_{\nu} \partial_{\rho} \,, \end{split}$$

 $(\lambda = 1)$  Pseudoscalar (PS) form  $(\lambda = 0)$  Pseudovector (PV) form

## Coupling constants

Y	g <sub>NYK</sub>	$g_{\Xi YK}$
$\Lambda(1116)^{1}_{2}^{+}$	- 13.24	3.52
$\Sigma(1193)^{1\over 2}^+$	3.58	- 13.26

## $\Box \ K^{\scriptscriptstyle -} \ p \to K \ \Xi$

> Only ( $\Lambda^{(*)}$  &  $\Sigma^{(*)}$ ) hyperons mediate in the Born diagrams.

 $\Lambda, \Sigma^0$ 

(b)

p

1(1) - 1(1)

Ξ

> *t*-channel meson exchanges are not possible because no meson of strangeness two exists.

 $\Xi^{-}[dss]$ 

## $(A) \mathrel{K^{\scriptscriptstyle -}} p \to K^{\scriptscriptstyle +} \Xi^{\scriptscriptstyle -}$



 $\Lambda, \Sigma^0$ 

(a)

p

[isospin factors] 1(1) 1(1)

 $\Xi^0$ 

 $\Sigma^+$ 

(b)

 $-\sqrt{2}$ 

p

 $\sqrt{2}$ 

 $\Xi^0$ 

p[uud]

□ Isospin factors

p

 $\Lambda, \Sigma^0$ 

(a)

1(1) - 1(1)

 $\Xi^{-}$ 

$$\Lambda \text{ exchange:} \qquad \left( \bar{K}^{+} \ \bar{K}^{0} \right) \Lambda \begin{pmatrix} p \\ n \end{pmatrix} = \mathbf{1} \bar{K}^{+} \Lambda p + \mathbf{1} \bar{K}^{0} \Lambda n$$

$$\Sigma \text{ exchange:} \qquad \left( \bar{K}^{+} \ \bar{K}^{0} \right) \begin{pmatrix} \Sigma^{0} \ \sqrt{2} \Sigma^{+} \\ \sqrt{2} \Sigma^{-} \ -\Sigma^{-} \end{pmatrix} \begin{pmatrix} p \\ n \end{pmatrix} = \mathbf{1} \bar{K}^{+} \Sigma^{0} p + \sqrt{2} (\bar{K}^{+} \Sigma^{+} n + \bar{K}^{0} \Sigma^{-} p) - \mathbf{1} \bar{K}^{0} \Sigma^{0} n$$

(c)

 $K^{-}[\bar{u}s]$ 

p[uud]

 $\Box u\text{-channel }\Sigma \text{ exchange: }\sigma (\mathbf{K}^{-} \mathbf{p} \to \mathbf{K}^{+} \Xi^{-}) \times 4 = \sigma (\mathbf{K}^{-} \mathbf{p} \to \mathbf{K}^{0} \Xi^{0})$  $\Box We consider two different isospin channels simultaneously: useful to$ 

□ We consider two different isospin channels simultaneously: useful to constrain model parameters.

 $K^0[d\bar{s}]$ 

 $X[ud\bar{s}\bar{s}]$ 

 $\Xi^0[uss]$ 

(c)

Λ hyperons		Hyperon Regge traje	ctories	Σ	hyper	rons
$J^P$	status	Storrow, Phys.Rept.103.31	7 (1984)		$J^P$	status
$A(1116) 1/2^+$	****			$\Sigma(1193)$	$1/2^+$	****
$A(1380) = 1/2^{-1}$	**	- Σ(1385)	Σ	$\Sigma(1385)$	$3/2^{+}$	****
$A(1405)  1/2^{-1}$	****	(2585, ?)	11/ <sub>2</sub> (2620, ?) •	$\Sigma(1580)$	$3/2^{-}$	*
$A(1520)  3/2^{-1}$	****	9/2 (2350, 9/2+)	9p (2455, ?)	$\Sigma(1620)$	$1/2^{-}$	*
$A(1600) = 1/2^+$	****	- (2030, 7/2+)	(2250.2)	$\Sigma(1660)$	$1/2^{+}$	***
$A(1670) = 1/2^{-1}$	****	$(\underline{a})^{7/2} (\underline{a}^{(2100, 7/2)})$	<sup>7/2</sup> (22.50, 1)	$\Sigma(1670)$	$3/2^{-}$	****
$A(1690) = 3/2^{-1}$	****	5/2 (1820, 5/2 <sup>+</sup> )	5/2 (1915, 5/2 <sup>+</sup> )	$\Sigma(1750)$	$1/2^{-}$	***
$A(1710) = 1/2^+$	*	(1775, 5/27).		$\Sigma(1775)$	$5/2^{-}$	****
$A(1800) = 1/2^{-1}$	***	$^{3/2}$ (1520, $^{3/2^{-})}$ (1385, $^{3/2^{+})}$	$\int_{-3/2}^{-3/2} \left( \frac{16}{0}, \frac{3}{2} \right) = \int_{-3/2}^{-3/2} S_{th}$	$\Sigma(1780)$	$\frac{3/2^+}{1/2^+}$	*
A(1810) = 1/2	***	$S_{th} = \frac{1}{2} (1116, 1/2^{+})$	1/2 <b>(</b> 1190, 1/2 <sup>+</sup> )	$\Sigma(1880)$	$1/2^+$	**
$A(1810) = 1/2^{+}$ $A(1820) = 5/2^{+}$	***		0 2 4 6 8	$\Sigma(1900)$	$1/2^{-}$	**
$A(1820) = 5/2^{-1}$	****	u [GeV <sup>2</sup> ]	<i>u</i> [GeV <sup>2</sup> ]	$\Sigma(1910)$ $\Sigma(1915)$	$3/2^{-}$	***
A(1830) = 5/2	****	$\mathbf{A} = \mathbf{a} \left( \mathbf{a} \right) \qquad 0 \left( 5 + 0 \right) 0 \left( 4 \mathbf{a} \right) \qquad \mathbf{\nabla} \left( 1 \right)$	$0.70 \pm 0.07$	$\Sigma(1915)$ $\Sigma(1040)$	$\frac{5}{2}$	****
$\Lambda(1890) = 3/2^+$	****	$\Lambda : \alpha(u) = -0.65 + 0.94u$ $\Sigma : \alpha(u) =$	= -0.79 + 0.87u	$\Sigma(1940)$ $\Sigma(2010)$	$\frac{3}{2}$	*
$\Lambda(2000)  1/2^{-1}$	*	$\Lambda(1405)$ : excluded $\Sigma^* : \alpha(\mathbf{u}) =$	= -0.27 + 0.9u	$\Sigma(2010)$	$\frac{3}{2}$	*
$\Lambda(2050) = 3/2^{-1}$	*			$\Sigma(2030)$	7/2 · 5/2+	****
$\Lambda(2070) = 3/2^+$	*	$K^ K$		$\Sigma(2070)$ $\Sigma(2080)$	$\frac{3}{2}$	*
$\Lambda(2080) = 5/2^{-1}$	*	$(V: n \to V \overline{\Sigma})$		$\Sigma(2080)$ $\Sigma(2100)$	3/2 · 7/9-	*
$\Lambda(2085) = 7/2^+$	**	$s_{th}(K p \rightarrow K \Xi)$		$\Sigma(2100)$ $\Sigma(2110)$	$\frac{1}{2}$	*
$\Lambda(2100)$ 7/2 <sup>-</sup>	****	= 1.81  GeV		$\Sigma(2110)$ $\Sigma(2230)$	$\frac{1}{2}$	*
$A(2110) = 5/2^+$	***	×		$\Sigma(2250)$	0/2	**
$A(2325) = 3/2^{-1}$	*			$\Sigma(2455)$		*
$A(2350) 9/2^+$	***			$\Sigma(2620)$		*
A(2585)	*	$p \qquad \Lambda, \Sigma^0 \equiv \Xi$		$\Sigma(3000)$		*
(2000)				$\Sigma(3170)$		*



□ As seen, hyperon Regge trajectories involve many of 3 & 4 star resonances.



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#### Baryon Regge trajectories

Storrow, Phys.Rept.103.317 (1984)



Feynman (Regge) propagator

$$P_N^F = \frac{1}{u - M_N^2} \implies P_Y^F = \frac{1}{u - M_Y^2} \implies P_Y^F = \frac{1}{u - M_Y^2} \implies P_N^R(s, u) = \frac{1 + \tau \exp(-i\pi\alpha_N(u))}{2} \left(\frac{s}{s_0}\right)^{\alpha_N(u) - \frac{1}{2}} \frac{1}{\cos[\pi\alpha_N(u)]} \frac{\pi\alpha'_N}{\Gamma[\frac{1}{2} + \alpha_N(u)]} \qquad P_Y^R(s, u) = \underbrace{\begin{pmatrix}1\\e^{-i\pi\alpha_Y(u)}\end{pmatrix}}_{s_0} \left(\frac{s}{s_0}\right)^{\alpha_Y(u) - \frac{1}{2}} \frac{1}{\cos[\pi\alpha_Y(u)]} \frac{\pi\alpha'_Y}{\Gamma[\frac{1}{2} + \alpha_Y(u)]}$$

### **D** PDG 2022

□ We include  $(\Lambda^* \& \Sigma^*)$  resonances which couple strongly to  $\overline{K}N \& K\Xi$  channels.

□ Partial decay width

$$\Gamma_{Y^* \to \bar{K}N} = \frac{1}{8\pi} \frac{q_K}{M_{Y^*}^2} \frac{1}{2J_{Y^*} + 1} |\mathcal{M}_{Y^* \to \bar{K}N}|^2$$



$(\Lambda^*, J^P)$	$\Gamma_{\Lambda^*}$ [MeV]	$\operatorname{status}$	$\operatorname{Br}_{\Lambda^* \to N\bar{K}} [\%]$	$ g_{KN\Lambda^*} $	$\operatorname{Br}_{\Lambda^*\to\Xi K}[\%]$	$ g_{K\Xi\Lambda^*} $
$\Lambda(1820, 5/2^+)$	80	****	55 - 65	8.41	_	_
$\Lambda(1830, 5/2^{-})$	90	****	4 - 8		_	_
$\Lambda(1890, 3/2^+)$	120	****	24 - 36	1.19	$\sim 1$	0.75
$\Lambda(2000, 1/2^{-})$	190	*	$27 \pm 6$		_	_
$\Lambda(2050, 3/2^{-})$	493	*	$19 \pm 4$		_	_
$\Lambda(2070, 3/2^+)$	370	*	$12 \pm 5$	1.01	$7 \pm 3$	1.38
$\Lambda(2080, 5/2^{-})$	181	*	$11 \pm 3$	0.71	$4 \pm 1$	1.18
$\Lambda(2085, 7/2^+)$	200	**	_	_	_	_
$\Lambda(2100, 7/2^{-})$	200	****	25 - 35	3.40	< 3	< 8.45
$\Lambda(2110, 5/2^+)$	250	***	5 - 25		_	_
$\Lambda(2325, 3/2^{-})$	168	*	_	_	_	_
$\Lambda(2350, 9/2^+)$	150	***	$\sim 12$		_	_
$\Lambda(2585,?^?)$		**	_	_	_	_

$(\Sigma^*, J^P)$	$\Gamma_{\Sigma^*}$ [MeV]	status	$\operatorname{Br}_{\Sigma^* \to N\bar{K}} [\%]$	$ g_{KN\Sigma^*} $	$\operatorname{Br}_{\Sigma^* \to \Xi K} [\%]$	$ g_{K\Xi\Sigma^*} $
$\Sigma(1880, 1/2^+)$	200	**	10 - 30		_	_
$\Sigma(1900, 1/2^{-})$	165	**	40 - 70	0.93	$3\pm 2$	0.1
$\Sigma(1910, 3/2^{-})$	220	***	1 - 5		_	_
$\Sigma(1915, 5/2^+)$	120	****	5 - 15	1.97	_	
$\Sigma(1940, 3/2^+)$	250	*	$13 \pm 2$		_	_
$\Sigma(2010, 3/2^{-})$	178	*	$7\pm3$	1.26	$3\pm 2$	3.71
$\Sigma(2030, 7/2^+)$	180	****	17 - 23	0.82	< 2	< 1.41
$\Sigma(2070, 5/2^+)$	200	*	—	_	_	_
$\Sigma(2080, 3/2^+)$	170	*	_	_	_	_
$\Sigma(2100, 7/2^{-})$	260	*	$8\pm 2$		—	_
$\Sigma(2160, 1/2^{-})$	313	*	$29 \pm 7$		_	_
$\Sigma(2230, 3/2^+)$	345	*	$6\pm 2$	0.41	$2 \pm 1$	0.34
$\Sigma(2250,?^{?})$	100	***	< 10	< 0.59	_	_
$\Sigma(2455,?^{?})$	120	**	_	_	_	_
$\Sigma(2620,?^?)$	200	**	—	_	—	_

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□ Partial decay width

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$$\begin{split} \mathcal{L}_{\Lambda NK}^{1/2(\pm)} &\equiv g_{\Lambda NK} \,\bar{\Lambda} \big( D_{\Lambda NK}^{1/2(\pm)} \bar{K} \big) N + \text{H.c.} \\ \mathcal{L}_{\Lambda NK}^{3/2(\pm)} &= \frac{g_{\Lambda NK}}{m_K} \,\bar{\Lambda}^{\nu} \big( D_{\nu}^{3/2(\pm)} \bar{K} \big) N + \text{H.c.} \\ \mathcal{L}_{\Lambda NK}^{5/2(\pm)} &= \frac{g_{\Lambda NK}}{m_K^2} \,\bar{\Lambda}^{\mu\nu} \big( D_{\mu\nu}^{5/2(\pm)} \bar{K} \big) N + \text{H.c.} \\ \mathcal{L}_{\Lambda NK}^{7/2(\pm)} &= \frac{g_{\Lambda NK}}{m_K^3} \,\bar{\Lambda}^{\mu\nu\rho} \big( D_{\mu\nu\rho}^{7/2(\pm)} \bar{K} \big) N + \text{H.c.} \end{split}$$

$(\Lambda^*, J^P)$	$\Gamma_{\Lambda^*}  [{\rm MeV}]$	status	$\operatorname{Br}_{\Lambda^* \to N\bar{K}} [\%]$	$ g_{KN\Lambda^*} $	$\operatorname{Br}_{\Lambda^*\to\Xi K}[\%]$	$ g_{K\Xi\Lambda^*} $
$\Lambda(1820, 5/2^+)$	80	****	55 - 65	8.41	_	_
$\Lambda(1830, 5/2^{-})$	90	****	4 - 8		—	_
$\Lambda(1890, 3/2^+)$	120	****	24 - 36	1.19	$\sim 1$	0.75
$\Lambda(2000, 1/2^{-})$	190	*	$27 \pm 6$		—	_
$\Lambda(2050, 3/2^{-})$	493	*	$19 \pm 4$		—	_
$\Lambda(2070, 3/2^+)$	370	*	$12 \pm 5$	1.01	$7\pm3$	1.38
$\Lambda(2080, 5/2^{-})$	181	*	$11 \pm 3$	0.71	$4 \pm 1$	1.18
$\Lambda(2085, 7/2^+)$	200	**	_	_	—	_
$\Lambda(2100, 7/2^{-})$	200	****	25 - 35	3.40	< 3	< 8.45
$\Lambda(2110, 5/2^+)$	250	***	5 - 25		_	_
$\Lambda(2325, 3/2^{-})$	168	*	_	_	_	_
$\Lambda(2350, 9/2^+)$	150	***	$\sim 12$		—	_
$\Lambda(2585,?^?)$		**	_	_	_	_

$(\Sigma^*, J^P)$	$\Gamma_{\Sigma^*}$ [MeV]	status	$\operatorname{Br}_{\Sigma^* \to N\bar{K}} [\%]$	$ g_{KN\Sigma^*} $	$\operatorname{Br}_{\Sigma^* \to \Xi K} [\%]$	$ g_{K\Xi\Sigma^*} $
$\Sigma(1880, 1/2^+)$	200	**	10 - 30		_	_
$\Sigma(1900, 1/2^{-})$	165	**	40 - 70	0.93	$3 \pm 2$	0.1
$\Sigma(1910, 3/2^{-})$	220	***	1 - 5		_	_
$\Sigma(1915, 5/2^+)$	120	****	5 - 15	1.97	_	
$\Sigma(1940, 3/2^+)$	250	*	$13 \pm 2$		—	_
$\Sigma(2010, 3/2^{-})$	178	*	$7\pm3$	1.26	$3\pm 2$	3.71
$\Sigma(2030, 7/2^+)$	180	****	17 - 23	0.82	< 2	< 1.41
$\Sigma(2070, 5/2^+)$	200	*	_	_	_	_
$\Sigma(2080, 3/2^+)$	170	*	_	_	_	_
$\Sigma(2100, 7/2^{-})$	260	*	$8\pm 2$		_	_
$\Sigma(2160, 1/2^{-})$	313	*	$29 \pm 7$		_	_
$\Sigma(2230, 3/2^+)$	345	*	$6\pm 2$	0.41	$2\pm 1$	0.34
$\Sigma(2250,?^{?})$	100	***	< 10	< 0.59	_	_
$\Sigma(2455,?^{?})$	120	**	_	_	_	_
$\Sigma(2620,?^?)$	200	**	_	_	_	_

## **D** PDG 2022

□ We include  $(\Lambda^* \& \Sigma^*)$  resonances which couple strongly to  $\overline{K}N \& K\Xi$  channels.

Partial decay width

$$\Gamma_{Y^* \to \bar{K}N} = \frac{1}{8\pi} \frac{q_K}{M_{Y^*}^2} \frac{1}{2J_{Y^*} + 1} |\mathcal{M}_{Y^* \to \bar{K}N}|^2$$



 $\checkmark$  turn out to be important.

	$(\Lambda^*, J^P)$	$\Gamma_{\Lambda^*}$ [MeV]	status	$\operatorname{Br}_{\Lambda^* \to N\bar{K}} [\%]$	$ g_{KN\Lambda^*} $	$\operatorname{Br}_{\Lambda^*\to\Xi K}[\%]$	$ g_{K\Xi\Lambda^*} $
	$\Lambda(1820, 5/2^+)$	80	****	55 - 65	8.41	_	_
	$\Lambda(1830, 5/2^{-})$	90	****	4 - 8		_	_
✓	$\Lambda(1890, 3/2^+)$	120	****	24 - 36	1.19	$\sim 1$	0.75
	$\Lambda(2000, 1/2^{-})$	190	*	$27 \pm 6$		_	_
	$\Lambda(2050, 3/2^{-})$	493	*	$19 \pm 4$		_	_
	$\Lambda(2070, 3/2^+)$	370	*	$12 \pm 5$	1.01	$7\pm3$	1.38
	$\Lambda(2080, 5/2^{-})$	181	*	$11 \pm 3$	0.71	$4\pm1$	1.18
	$\Lambda(2085, 7/2^+)$	200	**	_	_	_	_
1	$\Lambda(2100, 7/2^{-})$	200	****	25 - 35	3.40	< 3	< 8.45
	$\Lambda(2110, 5/2^+)$	250	***	5 - 25		_	_
	$\Lambda(2325, 3/2^{-})$	168	*	_	_	_	_
	$\Lambda(2350, 9/2^+)$	150	***	$\sim 12$		_	_
	$\Lambda(2585,?^?)$		**	_	_	_	_

	$(\Sigma^*, J^P)$	$\Gamma_{\Sigma^*}$ [MeV]	$\operatorname{status}$	$\operatorname{Br}_{\Sigma^* \to N\bar{K}} [\%]$	$ g_{KN\Sigma^*} $	$\operatorname{Br}_{\Sigma^*\to\Xi K}$ [%	$]  g_{K\Xi\Sigma^*} $	
	$\Sigma(1880, 1/2^+)$	200	**	10 - 30		_	_	
	$\Sigma(1900, 1/2^{-})$	165	**	40 - 70	0.93	$3\pm 2$	0.1	
	$\Sigma(1910, 3/2^{-})$	220	***	1 - 5		_	-	
	$\Sigma(1915, 5/2^+)$	120	****	5 - 15	1.97	_		
	$\Sigma(1940, 3/2^+)$	250	*	$13 \pm 2$		_	-	
	$\Sigma(2010, 3/2^{-})$	178	*	$7\pm3$	1.26	$3\pm 2$	3.71	
/	$\Sigma(2030, 7/2^+)$	180	****	17 - 23	0.82	< 2	< 1.41	
	$\Sigma(2070, 5/2^+)$	200	*	_	_	_	-	
	$\Sigma(2080, 3/2^+)$	170	*	_	_	_	-	
	$\Sigma(2100, 7/2^{-})$	260	*	$8\pm 2$		_	-	
	$\Sigma(2160, 1/2^{-})$	313	*	$29 \pm 7$		_	_	
	$\Sigma(2230, 3/2^+)$	345	*	$6\pm 2$	0.41	$2\pm 1$	0.34	
/	$\Sigma(2250,?^{?})$	100	***	< 10	< 0.59	_	_	
	$\Sigma(2455,?^{?})$	120	**	_	_	_	_	
	$\Sigma(2620,?^?)$	200	**	_	_	_		11

Λ(2100,7/2-) \*\*\*\*

$\Sigma(20)$	30,7	$7/2^{+})$	****
× .		· · · · · · · · · · · · · · · · · · ·	

$(\Gamma_i\Gamma_f)^{1/2}/\Gamma_{\rm tot}$	$\overline{K} - \overline{K}$	$ ightarrow \Lambda(2100)  ightarrow arepsilon K$					
VALUE				DOCUMENT	D	TECN	COMMENT
$0.035 \pm 0.018$	8			LITCHFIELD	1971	DPWA	$K^- \ p  o \varXi K$
			• • We d	lo not use the foll	owing data	for averages, fits,	limits, etc. • •
0.003				MULLER	1969B	DPWA	$K^- \ p  o arepsilon K$
0.05				TRIPP	1967	RVUE	$K^- \ p  ightarrow arepsilon K$
References:							
LITCHFIELD	1971	NP B30 125	$K^- p E$	astic and Charge	e Exchange	Scattering in the c.	m. Energy Range 1915 -
MULLER	1969B	Thesis UCRL 19372	A Study of the Reaction $K^ n  o \varXi K$ from Threshold to 2.7 ${ m GeV}/c$				
TRIPP	1967	NP B3 10	Baryon Resonances in SU(3)				

#### $\Gamma( \ \varSigma(2030) o \varXi K) / \Gamma_{ ext{total}}$

VALUE	DOCUMENT ID	DOCUMENT ID		COMMENT
< 0.01	SARANTSEV	2019	DPWA	$\overline{K}N$ multichannel
	• • W	e do not u	se the following date	a for averages, fits, limits, etc. • •
0.006	<sup>1</sup> KAMANO	2015	DPWA	$\overline{K}N$ multichannel
<sup>1</sup> From the preferred solution	n A in KAMANO 2015 .			
References:				

SARANTSEV	2019 EPJ A55 180	Hyperon II: Properties of excited hyperons
KAMANO	2015 PR C92 025205	Dynamical Coupled-Channels Model of $K^-p$ Reactions. II. Extraction of $\varLambda^*$

□ Recent PWA emphasize only the role of  $\Sigma(2030,7/2^+)$  in the K<sup>-</sup> p → K Ξ.

 $\Box$  We have found that  $\Lambda(2100,7/2)$  is also essential to describe the K<sup>-</sup> p  $\rightarrow$  K  $\Xi$ .

**Rescattering amplitude** 

$$\frac{1}{s-M^2+i\epsilon} = -i\pi\delta(s-M^2) + P\frac{1}{s-M^2}$$



$$g_{K^*K\rho} = g_{K^*K\omega} = \frac{1}{\sqrt{2}}g_{K^*K\phi} = \frac{1}{2}g_{\omega\rho\pi}$$
$$g_{KK\rho} = g_{KK\omega} = \frac{1}{2}g_{\pi\pi\rho}$$

**Rescattering amplitude** 

$$T_{\underline{MB}}(p,p') = \sum_{i} \int \frac{d^{3}\vec{q}}{(2\pi)^{3}} \frac{m_{B_{i}}}{E_{B_{i}}} T_{K^{-}p \to M_{i}B_{i}}(p,q) \frac{1}{s - (E_{M_{i}} + E_{B_{i}})^{2} + i\epsilon} T_{\underline{M_{i}B_{i}} \to K\Xi}(q,p')$$
$$M_{i} = (\varphi, \rho, \omega, \pi, \eta)$$
$$B_{i} = -i \sum_{i} \frac{p_{c.m.}}{16\pi^{2}} \frac{m_{B_{i}}}{\sqrt{s}} \int d\Omega \left[ T_{K^{-}p \to M_{i}B_{i}}(p,q) T_{\underline{M_{i}B_{i}} \to K\Xi}(q,p') \right] + \mathcal{P},$$

 $\Box$  We **fully** calculate the real and imaginary parts.





$$g_{K^*K\rho} = g_{K^*K\omega} = \frac{1}{\sqrt{2}} g_{K^*K\phi} = \frac{1}{2} g_{\omega\rho\pi}$$
$$g_{KK\rho} = g_{KK\omega} = \frac{1}{2} g_{\pi\pi\rho}$$

**Rescattering amplitude** 

□ We **fully** calculate the real and imaginary parts.





□ Total & Differential cross sections ( $K^- p \rightarrow K^+ \Xi^- \& K^0 \Xi^0$ ) [*u*-channel background + *s*-channel  $\Lambda^* \& \Sigma^*$ ]



□ Total & Differential cross sections (K<sup>-</sup> p → K<sup>+</sup> Ξ<sup>-</sup> & K<sup>0</sup> Ξ<sup>0</sup>) [*u*-channel background + *s*-channel  $\Lambda^*$  &  $\Sigma^*$ ]

 $K^- p \rightarrow K^+ \Xi^-$ 

> The sharp decreasing at the forward angle  $K^{-} p \rightarrow K^{0} \Xi^{0}$ 

> The sharp forward peak

> Explained by the interference between *s*-channel ( $\Lambda^*$ ,  $\Sigma^*$ ) resonances of different isospins.



□ Total & Differential cross sections (K<sup>-</sup> p → K<sup>+</sup> Ξ<sup>-</sup> & K<sup>0</sup> Ξ<sup>0</sup>) [*u*-channel background + *s*-channel  $\Lambda^*$  &  $\Sigma^*$ ]

 $K^- p \rightarrow K^+ \Xi^{*-}$ 

 $K^{-} p \rightarrow K^{0} \Xi^{*0}$ 

> The presence of a forward peak

> The absence of a forward peak

> Explained by the interference between *s*-channel ( $\Lambda^*$ ,  $\Sigma^*$ ) resonances of different isospins.



Dauber, PLB.29.609 (1969)

> The data indicate that

the reaction mechanism of  $K^- p \to K \Xi^*$  will be totally different from that of  $K^- p \to K \Xi$ .

☐ We used old experimental data taken in 1960s and 1970s.



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□ Recently, the J-PARC E05 experiment measured the cross section at forward angles ( $\theta_{Lab} < 20^\circ$ ).

Nagae, AIP Conf. Proc. 2130, 020015 (2019)

Observation of a  $\Xi$  bound state in the  ${}^{12}C(K^-, K^+)$  reaction at 1.8 GeV/*c* 



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□ Relations between c.m. and Lab frames:

$$\cos \theta_{\rm lab} = (\varepsilon_{K-L} \varepsilon_{K+L} - \varepsilon_{K-} \varepsilon_{K+} + p p_{K+} \cos \theta_{\rm c.m.}) / p_{\rm lab} p_{K+L}$$

$$\frac{(d\sigma/d\Omega)_L}{(d\sigma/d\Omega)_{\rm c.m.}} = \frac{m_N p_{\rm lab} p_{K+L}}{p p_{K+L}} (\varepsilon_{K-L} + m_N - p_{\rm lab} \varepsilon_{K+L} \cos \theta_{\rm lab} / p_{K+L})^{-1}$$

$$\left\langle \frac{d\sigma}{d\Omega_L} \right\rangle_{AV} = \int_0^{\theta_{\max}} d(\cos\theta_L) d\sigma / d\Omega_L \left| \int_0^{\theta_{\max}} d(\cos\theta_L) \right|$$



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$$\left\langle \frac{d\sigma}{d\Omega_L} \right\rangle_{AV} = \int_0^{\theta_{\max}} d(\cos\theta_L) d\sigma / d\Omega_L / \int_0^{\theta_{\max}} d(\cos\theta_L)$$



□ More data from the J-PARC E05 experiment are strongly called for.



 $\Lambda(1890,3/2^+) \Sigma(2030,7/2^+) \Lambda(2100,7/2^-)$ 



 $\Box$  The evidence of these three  $Y^*$  resonances looks very convincing.

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 $\Lambda(1890,3/2^+) \Sigma(2030,7/2^+) \Lambda(2100,7/2^-)$ 



looks very convincing.

□ More data from the J-PARC E05 experiment are strongly called for.



□ The inclusion of the rescattering diagrams improves the recent J-PARC data.

J.P.Berge (1966)

G.Burgun (1968)

T.Iijima (1992)

J-PARC (2019) without rescattering

rescattering

full

2.5

З

P.M.Dauber (1969)

□ Recoil asymmetries multiplied by differential cross sections



The backward angles are significantly affected by the inclusion of the s-channel  $(\Lambda^*, \Sigma^*)$  resonances for K<sup>-</sup> p  $\rightarrow$  K<sup>+</sup>  $\Xi^-$ .

Changes in the forward angles were relatively mild in both channels.

By definition, Py = Ty.

#### Previous works

Sharov, EPJA.47.109 (2011) Shyam, PRC.84.042201 (2011)

> Effective Lagrangian approach

Kamano, PRC.90.065204 (2014)

> Dynamical coupled-channel approach to  $\overline{K}$  induced reactions

Feijoo, PRC.92.015206 (2015)

> Coupled-channel unitarized chiral perturbation approach

Nakayama, PRC.85.042201 (2012) Jackson, PRC.89.025206 (2014) > Model independent aspects

Jackson, PRC.91.065208 (2015)

> Effective Lagrangian approach in which "the rescattering contribution" is accounted for by "a phenomenological contact amplitude"

Landay, PRD.99.016001 (2019)

> Least absolute shrinkage and selection operator (LASSO)

Matveev, EPJA 55.179 (2019)

> BnGa partial wave analysis

plane- or distorted-wave impulse approximation



S.H.Kim, T.-S.H. Lee, in process

plane- or distorted-wave impulse approximation



S.H.Kim, T.-S.H. Lee, in process

K induced reactions off nuclei  $K^- d \rightarrow \pi \Sigma n$ 

Spectroscopic study of hyperon resonances below  $\bar{K}N$  threshold via the (K<sup>,</sup>n) reaction on Deuteron

S. Ajimura, S. Enomoto, H. Noumi (\*Spokesperson/Contact Person) Research Center for Nuclear Physics (RCNP), Osaka University, Japan









plane- or distorted-wave impulse approximation

>  $\Xi$  hypernuclei is important to study multistrangeness systems and strange neutron stars in astrophysics.

plane- or distorted-wave impulse approximation

>  $\Xi$  hypernuclei is important to study multistrangeness systems and strange neutron stars in astrophysics.

- $\diamond$  Relevant experiments to date at J-PARC:
  - [P05] Spectroscopic Study of  $\Xi$ -Hypernucleus,  ${}^{12}_{\Xi}$ Be, via the  ${}^{12}C(K^-, K^+)$  Reaction
  - [P50] Charmed Baryon Spectroscopy via the  $(\pi^-, D^{*-})$  reaction
  - [P85] Spectroscopy of Omega Baryons
  - [P95] Pion-induced phi-meson production on the proton,  $(\pi p \rightarrow \phi n)$
  - [LoI] Study of  $\Sigma$ -N interaction using light  $\Sigma$ -nuclear system
  - [LoI]  $\Xi$  Baryon Spectroscopy High-momentum Secondary Beam

- $\diamond$  Multistrangeness production,  $K^- p \rightarrow K \Xi$ , is investigated in a hybridized Regge model for two different isospin channels ( $K^- p \rightarrow K^+ \Xi^- \& K^0 \Xi^0$ ).
- $\diamond$  As for a background contribution, ( $\Lambda \& \Sigma \& \Sigma^*(1385)$ ) hyperon Regge trajectories are considered in the *u* channel to describe the backward angles.
- ♦ We employ a "pseudovector" scheme for the KNY & KEY vertices rather than a "pseudoscalar" scheme.
- ♦ For  $K^- p \rightarrow K^0 \Xi^0$ , only ( $\Sigma \& \Sigma^*(1385)$ ) Regge trajectories are possible and their relative contributions are well constrained.
- $\diamond$  For K<sup>-</sup> p  $\rightarrow$  K<sup>+</sup>  $\Xi$ <sup>-</sup>,  $\Lambda$  Regge trajectory is more dominant than ( $\Sigma \& \Sigma^*(1385)$ ) ones.
- $\Diamond \Lambda(1890, 3/2^+), \Sigma(2030, 7/2^+), \text{ and } \Lambda(2100, 7/2^-)$  play a crucial role in explaining the bump structures.
- $\diamond$  The rescattering diagrams are essential to improve the recent J-PARC data.

♦ This study is the first step toward developing reasonable reaction theories of meson-induced reactions.

The extension of our hybrid model to other  $\pi$ - or K-induced reactions is essential for understanding the relevant reaction mechanisms more systematically, and will significantly contribute to the development of baryon spectroscopy;

Relevant research is currently in progress.

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The extension of our hybrid model to other  $\pi$ - or K-induced reactions is essential for understanding the relevant reaction mechanisms more systematically, and will significantly contribute to the development of baryon spectroscopy;

Relevant research is currently in progress.

Thank you very much for your attention

# Back Up





 $K^*$  exchange becomes dominant as -t' increases.

- (b) "hidden" strange production
  - $\pi^{-} p \rightarrow \phi n$  [Regge + Resonance]



 $\pi^{-} p \rightarrow M_{i} B_{i} \rightarrow \phi n$  [Rescattering]



• Use the dominant decay process:  $\phi \to K^+K^-$ ,  $\rho\pi$ ,  $K^* \to K\pi$ ,  $\rho \to \pi\pi$ 

(b) "hidden" strange production

 $\pi^{-} p \rightarrow \phi n$  [Regge + Resonance]



#### $\pi^{-} p \rightarrow M_i B_i \rightarrow \phi n$ [Rescattering]



Pion-induced phi-meson production on the proton (addendum)

Takatsugu Ishikawa,<br/> $^{\scriptsize \blacksquare}$  Atsushi Hosaka, Tomoaki Hotta, Hiroyuki Noumi,

using the J-PARC E16 spectrometer (2022)]

Proposal for the J-PARC 30-GeV Proton Synchrotron

[P95: T.Ishikawa, Proposal submitted

Sun Young Ryu, Kotaro Shirotori, and Yorihito Sugaya Research Center for Nuclear Physics (RCNP), Osaka University, Ibaraki, Osaka 567-0047, Japan

Jung Keun Ahn Department of Physics, Korea University, Seoul 02841, Korea

Sang-Ho Kim Department of Physics and Origin of Matter and Evolution of Galaxy (OMEG) Institute, Soongsil University, Seoul 06978, Republic of Korea

Seung-il Nam Department of Physics, Pukyong National University (PKNU), Busan 48513, Korea Center for Extreme Nuclear Matters (CENuM), Korea University, Seoul 02841, Korea and

Asia Pacific Center for Theoretical Physics (APCTP), Pohang 37673, Korea

• Use the dominant decay process:  $\phi \to K^+K^-$ ,  $\rho\pi$ ,  $K^* \to K\pi$ ,  $\rho \to \pi\pi$ 



[T.Ishikawa, Proposal submitted using the J-PARC E16 spectrometer (2022)]

[S.H.Kim, T.S.H.Lee, S.i.Nam, Y. Oh, PRC.104.045202 (2021)]

 $\Box$  The contribution from the impulse term for spin J=0 nuclei:

[S.H.Kim, T.S.H.Lee, S.i.Nam, Y. Oh, PRC.104.045202 (2021)]

$$\frac{d\sigma^{\rm IMP}}{d\Omega_{\rm Lab}} = \frac{(2\pi)^4 |\mathbf{k}|^2 E_V(\mathbf{k}) E_A(\mathbf{q} - \mathbf{k})}{|E_A(\mathbf{q} - \mathbf{k})|\mathbf{k}| + E_V(\mathbf{k})(|\mathbf{k}| - |\mathbf{q}|\cos\theta_{\rm Lab})|} |AF_T(t)\overline{t}(\mathbf{k},\mathbf{q})|^2$$
  
$$\gamma^4 \text{He} \rightarrow \varphi^4 \text{He} \qquad \gamma \ p \rightarrow \varphi \ p$$

$$F_c(q^2) = F_N(q^2)F_T(q^2 = t)$$
  
F<sub>c</sub> (F<sub>N</sub>) :  
nuclear (nucleon) charge FF



□ The peak position is similar to each other. Any relation between them?

□ Our purpose is to extend the Regge plus Resonance (R + R) model to the meson-induced reactions off nucleon targets. [e.g.,  $\pi^- p \rightarrow K^{*0} \Lambda (D^{*-} \Lambda c^+), \phi n (J/\psi n), ...]$ 

- □ Additionally, the Rescattering effects are considered from the 3-dimensional reduction of the Bethe-Salpeter equation.
- $\Rightarrow We employ the Regge plus Resonance plus Rescattering effect (R + R + R) model to the K<sup>-</sup> p <math>\rightarrow$  K  $\Xi$  reaction.

#### Comparison with other works





□ The structure at W ≈ 2.2 GeV are explained by a destructive effect between "contact term" and "resonant amplitudes".

□ Total & Differential cross sections (K<sup>-</sup> p → K<sup>+</sup> Ξ<sup>-</sup> & K<sup>0</sup> Ξ<sup>0</sup>) [*u*-channel background + *s*-channel  $\Lambda^*$  &  $\Sigma^*$ ]

	Λ(1890)	Λ(2100)	Σ(2030)	Σ(2230)	Σ(2250)
g <sub>KNY*</sub>	0.84	2.41	0.82	0.41	0.59
$g_{K\Xi Y^*}$	-0.26	2.95	-0.93	0.34	0.88
$\mathcal{B}(Y^* \to K\Xi)[\%]$	0.23	0.73	0.88	2.0	1.0

